

A.R COACHING CENTREUG-TRB, PG-TRB, POLY-TRB, ENGG-TRB, TNSSET COACHING FOR PHYSICS
Kallakurichi Dst, Contact-8667737887.**PG TRB - 2019**Subject Name: **Unit-III: Classical Mechanics - Slip Test-2****Time: 30 Minutes****Date: 22.06.2019****Maximum Marks: 25**

- A heavy symmetrical top is rotating about its own axis of symmetry (the z - axis). If I_1, I_2 and I_3 are the principle moment of inertia along x, y and z axes respectively, then
 - $I_2 = I_3$; $I_1 \neq I_2$
 - $I_1 = I_3$; $I_1 \neq I_2$
 - $I_1 = I_2$; $I_1 \neq I_3$
 - $I_1 \neq I_2 \neq I_3$
- Two bodies of masses m and $3m$ are connected by a spring of spring ' k '. The frequency of the normal mode is
 - $\sqrt{\frac{3k}{4m}}$
 - $\sqrt{\frac{m}{k}}$
 - $\sqrt{\frac{k}{4m}}$
 - $\sqrt{\frac{4k}{3m}}$
- Three masses are connected by two springs as shown. A longitudinal normal mode with frequency $\frac{1}{2\pi} \sqrt{\frac{k}{m}}$ is exhibited by, fig.

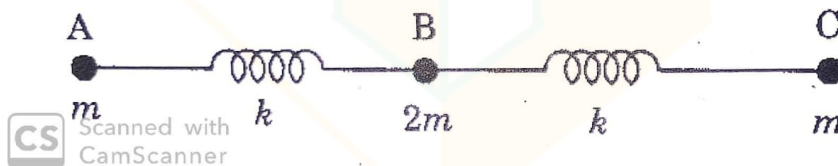


Figure 1: Spring connected

- A and C moving in same direction, with B being stationary.
 - A and C moving in same direction with equal amplitudes and B moving in opposite direction with half the amplitude A .
 - A and C moving in opposite direction with equal amplitudes and B being at rest.
 - $A, B,$ and C all moving in same direction with equal amplitudes.
- The system is said to be in equilibrium, if the generalised forces acting on the system are equal to zero, then
 - The potential energy has an extremum.
 - The potential energy has minimum.
 - The kinetic energy has extremum.
 - None of these.

8. In case of double pendulum, if the masses as well as thread are equal ($m_1 = m_2 = m$, $l_1 = l_2 = l$).
- Two normal mode frequencies are equal to that of a pendulum of length $2l$ and mass m .
 - Two normal mode frequencies are equal to that of a pendulum of length l and mass m .
 - Two normal mode frequencies are same.
 - The sum of squared frequencies of normal modes is equal to four times the squared frequency of a single pendulum of length l and mass m .
9. Find out the nature of statement given below,
- The two mode of oscillation involving a single frequency are called normal mode of vibration of the system.
 - When the kinetic energy and potential energies are expressed in terms of normal coordinates, no cross terms of normal coordinates are present, (i.e) both T and V are homogenous quadratic equation.
 - An example of stable equilibrium is a hanging spring-mass system in the stationary position.
- All the three statement are correct
 - Statement 1 is correct, 2 and 3 are wrong
 - Statement 1 and 2 are correct, 3 is wrong
 - All the three statement are wrong
10. If a force is applied on the equilibrium body then the potential energy of the body is increase. this system is
- stable
 - unstable
 - balanced
 - configuration
11. Which one is wrong
- $T = \frac{1}{2} \vec{\omega} L^2$
 - $T = \frac{1}{2} I \omega^2$
 - $I = mr^2$
 - $L = m_i [\omega r_i^2 - r_i (r_i \cdot \omega)]$
12. Which one is wrong
- In principle axis all product of inertia vanishes.
 - The principle moment of inertia cannot be negative.
 - A scalar of is a tensor of two rank.
 - The product of inertia coefficient is six.
13. Match the following
- (X) Space z - axis – (1) Nutation angle (θ)
- (Y) Line of nodes – (2) Nutation angle (θ)
- (Z) Body z' - axis – (3) Body angle (ψ)
- (A) New x_1 - axis – (4) Precession angle (ϕ)
- (X) - 2, (Y) - 1, (Z) - 3, (A) - 4
 - (X) - 4, (Y) - 1, (Z) - 3, (A) - 2
 - (X) - 4, (Y) - 3, (Z) - 1, (A) - 2
 - (X) - 3, (Y) - 4, (Z) - 2, (A) - 1

14. If I_1 , I_2 and I_3 represent the principle moments of inertia of a rigid body and $\omega = (\omega_1, \omega_2, \omega_3)$ is the angular velocity with components along the three principle axis.

- The z - component of the torque acting on the body in general is $\tau_3 = I_3 \dot{\omega}_3$.
- The z - component of the torque acting on the body in general is $\tau_3 = I_3 \dot{\omega}_3 + (I_2 - I_1) \omega_1 \omega_2$.
- For torque free motion of the rigid body, always we have $I_3 \omega_3 = \text{constant}$.
- for torque free motion of the rigid body in general we have, $I_3 \dot{\omega}_3 = (I_2 - I_1) \omega_1 \omega_2$.

15. Moment of inertia tensor of uniform hemisphere about its of symmetry and about an axis lying in the base perpendicular to the symmetry axis

- $I_{xx} = \frac{5}{2} MR^2$; $I_{yy} = \frac{2}{5} MR^2$
- $I_{xx} = \frac{2}{5} MR^2$; $I_{yy} = \frac{5}{2} MR^2$
- $I_{xx} = I_{yy} = \frac{2}{5} MR^2$
- $I_{xx} = I_{yy} = \frac{5}{2} MR^2$

16. Which one is not moment of inertia

- I_{xx}
- I_{yy}
- I_{yx}
- I_{zz}

17. The modified Hamilton's principle is given by

- $\delta \sum_j \int_{t_1}^{t_2} p_j dq_j - \delta \int_{t_1}^{t_2} H dt = 0$
- $\delta \sum_j \int_{t_1}^{t_2} p_j dq_j + \delta \int_{t_1}^{t_2} H dt = 0$
- $\delta \sum_j \int_{t_1}^{t_2} p_j dq_j - \delta \int_{t_1}^{t_2} H dq_j = 0$
- $\delta \sum_j \int_{t_1}^{t_2} p_j dq_j + \delta \int_{t_1}^{t_2} H dq_j = 0$

18. According to principle of least action

- $\Delta \int \left(\sum_k p_k \dot{q}_k - H \right) dt = 0$
- $\Delta \int \left(\sum_k \dot{p}_k q_k - H \right) dt = 0$
- $\Delta \int (H + L) dt = 0$
- $\int \sum_k p_k \dot{q}_k dt = 0$

19. Consider a homogeneous cube of density ρ , mass ' M ' and side ' a '. For origin ' O ' at one corner and axes along the edges of the cube. Then the inertia tensor is

- $I = \frac{Ma^2}{12} \begin{bmatrix} 8 & -3 & -3 \\ -3 & 8 & 3 \\ -3 & 3 & 8 \end{bmatrix}$
- $I = \frac{Ma^2}{6} \begin{bmatrix} 8 & -3 & -3 \\ -3 & 8 & -3 \\ -3 & -3 & 8 \end{bmatrix}$
- $I = \frac{Ma^2}{12} \begin{bmatrix} 8 & -3 & -3 \\ -3 & 8 & -3 \\ -3 & -3 & 8 \end{bmatrix}$
- $I = \frac{Ma^2}{6} \begin{bmatrix} 8 & -3 & -3 \\ -3 & 8 & -3 \\ -3 & 3 & 8 \end{bmatrix}$

20. The most general displacement of rigid body is

- translational
- rotational
- translational and rotational
- translational an vibrational

25. The system of four point masses 1 gm, 2 gm, 3 gm and 4 gm located at the points (1, 0, 0), (1, 1, 0), (1, 1, 1) and (1, 1, -1) cm. The inertia is

a. $I = \begin{bmatrix} 16 & -9 & 1 \\ -9 & 17 & 1 \\ 1 & 1 & 19 \end{bmatrix}$

b. $I = \begin{bmatrix} 16 & 9 & -1 \\ 9 & 17 & -1 \\ -1 & -1 & 19 \end{bmatrix}$

c. $I = \begin{bmatrix} 16 & -9 & -1 \\ -9 & 17 & 1 \\ -1 & 1 & 19 \end{bmatrix}$

d. $I = \begin{bmatrix} 16 & -1 & 9 \\ -1 & 17 & -1 \\ -9 & -1 & 18 \end{bmatrix}$

Answer Key:

Q.No	Ans	Q.No	Ans	Q.No	Ans	Q.No	Ans	Q.No	Ans
1	c	6	a	11	a	16	c	21	c
2	d	7	c	12	c	17	a	22	a
3	c	8	d	13	b	18	c	23	d
4	a	9	a	14	d	19	c	24	b
5	b	10	a	15	c	20	c	25	a

Features:

- Excellent material will be provided mostly in LaTeX printed version.
- Every unit will be conduct two half unit test (Question-30), one problem test (Question-25) and one full unit test (Question-110).
- Finally four half portion test and five full portion test.
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A.R COACHING CENTRE FOR PHYSICS

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